



Algebraic Geometry Seminar

Jordan property for Cremona groups.

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ABSTRACT

A (infinite) group F is called Jordan if there is a constant J such that for any finite subgroup G in F there is a normal abelian subgroup H in G of index $[G:H] < J$. Classical examples of groups with this property include $GL_n(\mathbb{C})$, and thus all affine algebraic groups over fields of zero characteristic. I will prove that the Cremona group $Cr_n(\mathbb{C})$ is Jordan for $n=3$, and the same result holds for any $n > 3$ modulo Borisov–Alexeev–Borisov conjecture. The talk is based on a joint work with Yu. Prokhorov.

- **Time & Date : 04:45p.m.~05:45 p.m. June 25 (Mon) 2012**
- **Place : Math Science Building room 404**